

Mid-West University
Examinations Management Office

End Semester Examinations 2081

Bachelor level/ B.E. Computer/ 4th Semester

Full Marks: 50

Time: 3 hours

Pass Marks: 25

Subject: Theory of Computation (CO441/CO508)

- *Attempt all the questions*
 - *Figures in the margin indicate full marks.*
 - *Assume suitable values, with a stipulation, if necessary.*
 - *Candidates are required to answer the questions in their own words as far as possible.*
1. What is the role of theory of computation for the development of AI tools? Differentiate between DFA & NFA. Construct an NFA accepting the set of all string whose second last symbol is 1 and show how the 11010 will be processed. [1+1+3]
 2. How can you relate PDA and CFG? Explain how Pushdown automata are better than finite automata. [2+3]
 3. Discuss the closure property of regular sets. Explain Pumping Lemma theory in the context of regular sets with your own example. [2+3]
 4. What are derivative trees in context free grammar? Reduce the following grammar whose production rules are $P: S \rightarrow AB, A \rightarrow a, B \rightarrow b, B \rightarrow D, E \rightarrow d$ where, $G = (\Sigma(S, A, B, D, E), (a, b, d), P, S)$. [2+3]
 5. a. Remove the **Unit production** from the Grammar. [2.5]
 $S \rightarrow XY, X \rightarrow a, Y \rightarrow Z | b, Z \rightarrow M, M \rightarrow N, N \rightarrow a$
b. Show that $L = \{a^n b^n c^n | n \geq 0\}$ is not a context free language. [2.5]
[Use Pumping Lemma for CFL]
 6. Represent PDA graphically. Construct a PDA that accepts even palindromes of the form
 $L = \{WW^R | W = (a + b)^+\}$ [1+4]
 7. Define Turing Machine. Design a TM that accepts the language consisting of all binary strings where the number of 1s is divisible by 3. [1+4]
 8. What is Universal Turing Machine? Explain the properties of recursive and recursive language. [1+4]
 9. Explain P and NP class of problems. How can you Compare Decidability with Un-decidability? [2+3]
 10. Write short notes on (*any two*); [5]
 - a. Church's Hypothesis
 - b. Computable language and functions
 - c. Theory of Computational Complexity

The End